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$TITLE: M2-1.GMS introductory model using MCP
* simple supply and demand model (partial equilibrium)
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PARAMETERS

A
B
C
D
TAX
intercept of supply on the $P$ axis ( $M C$ at $Q=0$ ) change in MC in response to $Q$ - this is dP over dQ intercept of demand on the $Q$ axis (demand at $P=0$ ) response of demand to changes in price - dQ over dP a tax rate used later for experiments;

A = 2;
C $=6$;
B = 1;
D = -1;

## NONNEGATIVE VARIABLES

$P \quad$ price of good $X$
$X \quad$ quantity of good $X$;

## EQUATIONS

SUPPLY supply relationship (marginal cost ge price)
DEMAND quantity demanded as a function of price;
SUPPLY.. $A+B^{*} X=G=P$;

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DEMAND.. X =G= C + D*P;
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MODEL EQUIL /SUPPLY.X, DEMAND.P/;
OPTION MCP = PATH;
SOLVE EQUIL USING MCP;

* counter factual 1: shift the supply curve (marginal cost) up/left
A = 7;
SOLVE EQUIL USING MCP;
* country factual 2: shift the supply curve (marginal cost) down/right
A = -7;
SOLVE EQUIL USING MCP;
* exercise 1: extract economic information from the solution
PARAMETERS
CONSPRICE consumer price
PRODPRICE producer price (equal to marginal cost)
TAXREV tax revenue (note tax base is producer price)

| CONSURP1 | consumer surplus with no tax |
| :--- | :--- |
| CONSURP2 | consumer surplus with 25\% tax |
| PROSURP1 | producer "surplus" with no tax |
| PROSURP2 | producer "surplus" with 25\% tax |
| DWL | net loss from the tax; |

## EQUATIONS <br> SUPPLY2;

SUPPLY2.. $\quad\left(A+B^{*} X\right)^{*}(1+T A X)=G=P$;
MODEL EQUIL2 /SUPPLY2.X, DEMAND.P/;
A = 2;
TAX = 0;
SOLVE EQUIL2 USING MCP;

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CONSURP1 = (-C/D - P.L)*X.L/2;
PROSURP1 = (P.L/(1+TAX) - A)*X.L/2;
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TAX = 0.25;
SOLVE EQUIL2 USING MCP;
CONSURP2 $=(-C / D-P . L) * X . L / 2$;
PROSURP2 $=(P . L /(1+T A X)-A) * X . L / 2 ;$

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CONSPRICE = P.L;
PRODPRICE = P.L/(1+TAX);
TAXREV = PRODPRICE*TAX*X.L;
DISPLAY CONSPRICE, PRODPRICE, TAXREV;
DWL = CONSURP1 + PROSURP1 - (CONSURP2 + PROSURP2 + TAXREV);
DISPLAY CONSURP1, PROSURP1, CONSURP2, PROSURP2, TAXREV, DWL;
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*exercise 2, mismatch the complementary variables
TAX = 0;
MODEL EQUIL3 /SUPPLY.P, DEMAND.X/;
SOLVE EQUIL3 USING MCP;
P.L = 0;
X.L = 6;
A = 7;
SOLVE EQUIL3 USING MCP;
A = -7;
SOLVE EQUIL3 USING MCP;

