\$TITLE: M2-4.GMS quick introduction to sets and scenarios using M2-2
* MAXIMIZE UTILITY SUBJECT TO A LINEAR BUDGET CONSTRAINT
* same as UTIL-OPT1.GMS but introduces set notation

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SET I Prices and Goods / X1, X2 /;
ALIAS (I, II);
```

PARAMETER

М	Income
RATION	ration of X1 (constraint on max consumption of X1)
P(I)	prices
S(I)	util shares;

M = 100; P("X1") = 1; P("X2") = 1; S("X1") = 0.5; S("X2") = 0.5; RATION = 100;

NONNEGATIVE VARIABLES

X(I) Commodity demands
LAMBDAI Marginal utility of income (Lagrangean multiplier)
LAMBDAR Marginal effect of ration constraint;

VARIABLES

U Welfare;

EQUATIONS

UTILITY

INCOME

RATION1

- FOC(I);
- UTILITY.. U = E = 2* PROD(I, X(I)**S(I));
- INCOME.. M = G = SUM(I, P(I) * X(I));
- RATION1.. RATION =G= X("X1");
- FOC(I).. LAMBDAI*P(I) + LAMBDAR\$(ORD(I) EQ 1) =G= S(I)*X(I)**(-1)*2*PROD(II, X(II)**S(II));

U.L = 100; X.L(I) = 50; RATION = 100; *** first, solve the model as an nlp, max U subject to income *** rationing constraint in non-binding

MODEL UMAX /UTILITY, INCOME, RATION1/; SOLVE UMAX USING NLP MAXIMIZING U;

* second, solve the model as an mcp, using the two FOC and income LAMBDAI.L = 1; LAMBDAR.L = 0;

MODEL COMPLEM /UTILITY.U, INCOME.LAMBDAI, RATION1.LAMBDAR, FOC.X/; SOLVE COMPLEM USING MCP;

* scenario generation
SETS J indexes different values of rationing constraint /J1*J10/;

PARAMETERS

```
RLEVEL(J)
WELFARE(J)
LAMRATION(J)
RESULTS(J, *);
```

LOOP(J,

RATION = 110 - 10*ORD(J);

```
SOLVE COMPLEM USING MCP;
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```
RLEVEL(J) = RATION;
WELFARE(J) = U.L;
LAMRATION(J) = LAMBDAR.L;
```

);

```
RESULTS(J, "RLEVEL") = RLEVEL(J);
RESULTS(J, "WELFARE") = WELFARE(J);
RESULTS(J, "LAMRATION") = LAMRATION(J);
```

DISPLAY RLEVEL, WELFARE, LAMRATION, RESULTS;

\$LIBINCLUDE XLDUMP RESULTS M2-3.XLS SHEET2!B3