Same-Occupation Spouses: Preferences and Search Costs

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Abstract

Married individuals match with spouses who share their occupation more frequently than should happen by chance if marriage markets are large frictionless search markets covering a particular geographic area. This suggests that either there is a preference for same-occupation matches or that search costs are lower within occupation.

This paper uses 2008-2011 data from the American Community Survey to analyze within-occupation matching among a sample of recently-married couples. To distinguish between the preferences and search costs explanations, we use a differences-in-differences strategy that compares the gap in wages between same-occupation husbands and different-occupation husbands across occupations with different percent male workers. Under the preferences mechanism, the gap should be decreasing in percent male. Under the search cost mechanism, the gap should be increasing in percent male.

Our results are consistent with the search cost explanation. Furthermore, using an occupation-specific index of workplace communication, we demonstrate that the results are most consistent with the search cost mechanism for occupations with a greater degree of workplace communication.

These results suggest that marriage markets are more local than typically modeled or described by economists and that choices about occupation can affect one's marriage market match by changing the group of people with whom one interacts most easily.

I. Introduction

Married individuals match with spouses who share their occupation more frequently than should happen by chance if marriage markets are large frictionless search markets covering a particular geographic area. Given that the opposite-sex members of one's occupation in most cases comprise a relatively small fraction of the total number of available spouses in the local marriage market, a disproportionate match rate within occupation suggests either a preference for same-occupation matches or that search costs are lower within occupation. It could be that individuals gain marital surplus from same-occupation matches, perhaps due to similarities in preferences. Alternatively, it could be that marital search is less costly within occupation than outside occupation.

Distinguishing between these two potential explanations has important implications for our understanding of how marriage markets function. Evidence that individuals match within occupation primarily because it is simply easier to meet people of the same occupation, and not because of preferences, suggests that marriage markets are much more local than typically modeled or described by economists (e.g. Chiappori, Fortin and Lacroix, 2002; Choo and Siow, 2006). This implies that choices about where to work or where to go to school can have important consequences for matching by changing the group of people with whom one interacts most easily.

This paper uses 2008-2011 data from the American Community Survey (ACS) to analyze same-occupation matching among a sample of recently-married couples. We first document that same-occupation matching is strongly related to sex-composition of the occupation. In order to distinguish between a preferences explanation and a search cost explanation, we investigate whether women accept lower-wage husbands if they match within-occupation compared to if they do not, and how this wage gap varies with the sex composition of the occupation.

If women receive marital surplus from same-occupation matches, then we should observe them trading off this spousal characteristic with other desirable husband qualities, such as husband's wage. This trade-off should be particularly stark for women in occupations where men are scarce. Alternatively, if women experience low search costs within occupation, they may be willing to accept lower wage same-occupation husbands to avoid paying the higher search costs of outside-occupation search. This trade-off should be particularly stark for women in occupations where men are plentiful. This suggests a differences-in-differences strategy in which we compare the gap in wages between same-occupation husbands and differentoccupation husbands across occupations with different percent male workers. Under the preferences mechanism, the gap should become less negative as percent male increases. Under the search cost mechanism, the gap should be become more negative as percent male increases. Our differences-in-differences results indicate that the gap in wages between same-occupation and different-occupation husbands becomes more negative as percent male in occupation increases. This is consistent with the search costs mechanism.

Additionally, because the search cost mechanism should be most relevant in occupations with sufficient workplace interaction to facilitate search, we extend our differences-indifferences model to a triple-differences model using interactions with an occupation-specific index of workplace communication. When we add interactions with the workplace communication index, we find, as predicted, the results are most consistent with a search cost mechanism when there is a greater degree of workplace communication.

In marriage models that assume frictionless matching, characteristics such as education and occupation have traditionally affected matching through the marital surplus. The findings in this paper suggest they also affect matching by changing the set of prospective mates with whom one interacts at lowest cost.

II. Same-Occupation Matching

A. Descriptive Statistics

Table 1 presents descriptive statistics by occupation on sex-composition and sameoccupation matching using 2008-2011 ACS data. Descriptive statistics are reported for 79 occupation categories based on the 2-digit SOC codes. The first two columns report the total number of observations and the percent female using the sample of women and men ages 22-55 who report an occupation for most recent job in the past 5 years. Columns 3 and 4 report the fraction of women and men, respectively, married to a same-occupation spouse. The table is sorted on fraction female in occupation from the least female to the most female occupations.

From the table, it is clear that there is considerable same-occupation matching, and also that same-occupation matching is particularly common for individuals in occupations with a high proportion of workers of the opposite sex. For example, 53% of married women in the military are married to military husbands, 29% of female engineers are married to male engineers, and 38% of male schoolteachers are married to female schoolteachers.

In most cases, the opposite-sex workers in one's occupation only represent a fraction of one's broader marriage market prospects. Therefore, if same-occupation matches are both frequent and responsive to the sex-composition of one's occupation, this suggests that there is some marriage market feature that gives advantage to same-occupation matches over different-occupation matches.¹ One such advantage would be if individuals, all else equal, prefer same-occupation partners. Another advantage is if search is less costly within occupation than outside occupation.

¹ An additional explanation for within-occupation matching is that married individuals might recruit their partners into their own occupations after matching. For example, in Table 1, it might be that the very few women who report being fishers, hunters or trappers are in that category because their husbands brought them into the occupation, generating a very large within-occupation matched rate for women in that occupation (0.40). This explanation is much less likely to be relevant for married individuals with college degrees, because entrance into an occupation often requires investment in specialized education and training. We therefore perform the analysis separately by college education.

B. Preferences Explanation

It could be that individuals prefer same-occupation spouses. For example, it is likely that individuals within the same occupation are more homogenous in their preferences compared to the larger marriage market. If individuals experience greater marital surplus by matching with partners with similar preferences for consumption of leisure, investments in children, and so forth, then a preference for partners for similar tastes would generate a higher rate of matching within occupation.²

If there were equal numbers of men and women within each occupation, and sameoccupation matches increased marital surplus, then a simple matching model would predict that all individuals would match with same-occupation spouses and then match assortively on quality within occupation. The more realistic case is that there is a sex imbalance in most occupations, some having a surplus of men and some having a surplus of women. In this case, those in excess supply will have to, on average, marry down in order to match within occupation.

The case of two-dimensional matching with sex imbalances is formally modeled in Chiappori, Oreffice and Quintana-Domeque (2010). They apply their model to the case in which non-smokers prefer to match with non-smokers, and there is excess supply of female nonsmokers (because more men smoke than women). They predict that among husbands of equal quality non-smoking wives, non-smoking husbands will on average be less educated than smoking husbands.³ In other words, among equal quality non-smoking wives, those who

² There is little empirical evidence on preferences for same-occupation spouses, but the analysis of a large speeddating experiment by Belot and Francesconi (2006) finds little evidence of preferences for occupational similarity. ³ Their theoretical model does not include the empirical reality of a negative correlation between smoking and education. Therefore, when implementing this prediction empirically, it is adapted to a prediction that the negative correlation between smoking and education becomes less negative when the sample is restricted to husbands of nonsmoking wives, and even less negative when a control for wife's quality (education) is added to the model. This prediction is confirmed empirically. Our empirical analysis does not suffer from this issue because we are comparing across many occupations with different sex compositions, allowing us to control for average quality in each occupation with fixed-effects, focusing on the interaction of sex-composition and same-occupation matching.

match, as desired, with non-smoking husbands will have to on average take a husband who is less educated.

The case in which workers prefer to match with same-occupation spouses fits nicely into the Chiappori et al. theoretical framework, with the additional beneficial empirical feature that rather than a single category (smoking) with a single sex composition, we are able to compare across multiple occupations with very different sex-compositions. This suggests an empirical test for a preferences explanation for same-occupation matching.⁴ In occupations in which men are scarce, women will have to on average marry lower quality men in order to match withinoccupation. Comparing similar quality women in the same occupation, the average quality of same-occupation husbands should be lower than the average quality of different-occupation husbands. In occupations in which men are less scarce, this gap between same-occupation husbands and different-occupation husbands should become less negative.

More generally, this approach fits in with a broader literature in which individuals trade off a specific spousal characteristic with other desirable partner qualities. Chiappori, Oreffice and Quintana-Domeque (forthcoming), for example, estimate the marriage market trade-off between earnings and Body Mass Index. Angrist (2002) studies marriage among 2nd generation immigrants, who often prefer endogamous (within ethnicity) marriages. Using U.S. Census data from 1910-1940, he documents that 2nd generation women obtained higher quality husbands on average when the sex ratio within ethnicity was more favorable.

C. Search Cost Explanation

An alternative explanation for same-occupation matches is based on search costs. To consider the implications of search costs, we first consider the simplest case in which there is no

⁴ Following Chiappori et al. (2010), it does not matter whether both men and women prefer same-occupation spouses or only one side of the market has this preference. If, for example, women prefer same-occupation matches, then men will, all else equal, also prefer a same-occupation match, because otherwise the woman will have to be compensated for the loss of marital surplus from a different-occupation match.

difference in search costs between within-occupation search and outside-occupation search. In the absence of preferences for same-occupation matches, we would expect there to be no difference in spousal quality when comparing same-occupation spouses and different-occupation spouses.

Suppose some individuals face lower search costs than others, but still, for any given individual, there is no difference in search cost between within-occupation search and outside-occupation search. Individuals who face lower search costs should have higher reservation values and should match with higher quality spouses, but there is still no predicted difference in spousal quality between same-occupation matches and different-occupation matches.

Now consider a model in which individuals have two search pools with potentially different search costs: a within-occupation pool and an outside-occupation pool. For a given search pool with search cost c and a distribution of spousal quality F(q), an individual searching in the pool will have a reservation quality w as described by:

$$\int_{w}^{\overline{q}} (q-w) dF(q) = c \; .$$

The reservations quality, w, is therefore the expected value of searching in the pool. Under optimal sequential search, individuals search in the pool with the highest expected value, w, and then search until they find a match with q > w (Weitzman, 1979). It is clear that $\partial w / \partial c < 0$, so that all else equal, the returns to search will be highest in the pool with the lowest search cost.

If an individual is in an occupation with a very favorable sex ratio, this lowers search costs within occupation relative to outside occupation.⁵ In this case, the individual should only

⁵ In this discussion we consider changes in sex-mix (c) holding constant the distribution of quality in the occupation. Clearly, empirically there is a relationship between sex-mix of an occupation and the wage distribution in the occupation. Our empirical analysis, however, will use occupation fixed-effects as well as interactions with occupation wage characteristics to control for this empirical relationship.

search outside occupation if the expected return outside occupation dominates the expected return within occupation, if F(q) is shifted to the right in the outside-occupation pool.

This implies that as the percent male in an occupation increases, lowering c in the withinoccupation pool, the fraction of women who match within-occupation should increase. The remaining women who choose to pay the higher search cost and match outside-occupation should be women who expect particularly high realizations of husband quality from search in the outside-occupation pool. Therefore, where the sex ratio is very favorable, comparing women who matched within-occupation to those who matched outside-occupation, we should see that the women who match outside-occupation have husbands with higher wages than those who matched within-occupation. Put another way, when percent male in occupation is high, women may accept lower quality husbands within-occupation than they could obtain outside-occupation in order to avoid the greater search costs of outside-occupation search.⁶

Both the preferences explanation and the search cost explanation predict that there will be cases where, comparing across women of the same occupation, same-occupation husbands have lower average quality compared to different-occupation husbands. The difference between the two mechanisms is where this gap will be larger. With the preferences mechanism, the negative gap should be greatest where men are scarce, and women have to sacrifice more on quality in order to match with a same-occupation husband. With the search cost mechanism, the negative gap should be greatest where men are plentiful, generating the largest difference in search costs between within-occupation and outside-occupation search.

⁶ This may at first seem counter-intuitive, because we expect lower search costs to generate matches with higher quality husbands. But in this case, we are not comparing women across occupations facing different search costs. If we were, then we would predict that women in occupations with lower search costs should on average match with higher quality husbands. Instead, we are comparing women in the same occupation who match either with same-occupation husbands or different occupation husbands.

III. Analysis of Matching and Occupation Sex Composition

In our empirical analysis, we first formally document the relationship between sameoccupation matching and occupation sex-composition that is suggested in Table 1. We then test for the differences in spousal quality predicted by the preferences and search cost explanations. *A. Occupation Characteristics*

Using the 2008-2011 ACS sample used in columns 1 and 2 of Table 1, percent female is calculated at the 3-digit SOC level, producing sex-composition measures for 333 occupations.

Using this same sample and set of occupations, a measure of occupation size is calculated separately by college education and by sex. For occupation *j* and college status *k* (=0/1): *MaleShare*_{*jk*}= # men with college status *k* and occupation *j*/# men with college status *k*, and *FemaleShare*_{*jk*}= # women with college status *k* and occupation *j*/# women with college status *k*.

It is important to distinguish between, for example, the *%Female* and *FemaleShare* measures for a particular occupation. *%Female* measures the fraction of workers within that occupation that are female and is unrelated to occupation size. *FemaleShare* measures the fraction of female workers, of a particular college status, that work in that occupation. The *MaleShare* and *FemaleShare* variables therefore measure which occupations are large or small employers of a particular sex and education group.

Finally, a regional concentration measure is calculated, defined as the fraction of men or women in the region employed in an occupation minus the mean fraction for that occupation across all regions.

B. Analysis Sample

Data from the 2008-2011 American Community Survey (ACS) are used because year of marriage is reported in these years. This allows the analysis to be conducted on a sample of recently-married couples. This has two benefits. First, an individual's current reported

occupation should be similar to his/her occupation at the time he/she matched with a spouse. Second, we reduce sample selection bias that could occur if same-occupation couples divorce at different rates than those who are not matched on occupation.

The analysis sample includes married couples who a) are in their first marriage, b) have been married for 5 years or less, c) are ages 25-55, and d) the wife is native-born non-Hispanic white. This restricts the sample to women who face more homogenous marriage markets.

Using the 2-digit SOC codes used in Table 1, 9.2% of couples in our analysis sample are matched on occupation. Using the 333 3-digit categories that we use in our regression analysis, 6.1% of couples share the same occupation.

C. Sex Composition and Matching

While prior work has documented the fact that spouses match on occupational status (Hout 1982; Kalmijn 1994), this is the first work to explore matching within specific, detailed occupations and the role of sex-composition.

The following specification estimates the relationship between same-occupation matching and sex-composition of occupation:

(1)
$$Same _Occ_{ijk} = \beta_0 + \beta_1 \% Male_j + \beta_2 \% Female_k + Occ _Char_{jk}\beta_3 + X_i\beta_4 + \sum_{s=1}^{S} \delta_s * State_i + \sum_{s=1}^{S} \gamma_s * State_i * Urban_i + \varepsilon_{ijk}$$

For couple *i* with wife's occupation *j* and husband's occupation *k*, *Same_Occ* is an indicator variable equaling one if the husband and wife have the same occupation. $%Male_j$ is percent male in wife's occupation and $%Female_k$ is percent female in husband's occupation. *Occ_Char* contains the other occupation characteristics for husband's and wife's occupations: *MaleShare* for wife's occupation (and college status), *FemaleShare* for husband's occupation (and college status), and the regional concentration measures for husband's and wife's occupations. The vector *X* contains couple characteristics including husband's and wife's age and age-squared,

husband's and wife's education (indicators for high school degree, college degree, and advanced degree), an indicator for whether husband and wife have the same educational attainment (using the categories already described), and husband's race/ethnicity (indicators for non-Hispanic white, non-Hispanic black, Hispanic). The control for whether the husband and wife share the same level of education separates out matching on occupation, conditional on education, from the well-documented educational sorting in the marriage market. The model also contains state fixed-effects and a separate vector of state-fixed-effects for urban residents.

For large occupations, a higher percent male in a given occupation indicates that a larger fraction of men in the broader marriage market come from that occupation. Therefore, for large occupations, a relationship between occupation sex-mix and same-occupation matching could be working through this effect on the composition of the broader marriage market. In contrast, for small occupations, a higher percent male in occupations has a negligible effect on the composition of the broader marriage market. Therefore, it is of interest whether the relationship between occupations sex-mix and same-occupations.

Equation (2) investigates whether any sex-composition effects estimated in equation (1) exist for smaller occupations. For occupations that employ less than 0.5 percent of an individual's broader marriage market, a change in sex composition within occupation has a relatively small effect on the composition of the broader marriage market. Therefore, sex composition should only matter in smaller occupations if something makes matching within occupation more attractive, either due to preferences or search costs.

An indicator variable is created that equals 1 if wife's occupation employs at least 0.5% of men from her educational background, and analogous variable is created for husband's occupation. These indicator variables are interacted with the sex-composition measures.⁷

$$Same _Occ_{ijk} = \beta_0 + \beta_1 \% Male_j + \beta_2 \% Male_j * MaleShare \ge 0.5\%_j + \beta_3 \% Female_k$$

$$(2) \qquad +\beta_4 \% Female_i * FemShare \ge 0.5\%_k + Occ _Char_{jk}\beta_5 + X_i\beta_6$$

$$+\sum_{s=1}^{S} \delta_s * State_i + \sum_{s=1}^{S} \gamma_s * State_i * Urban_i + \varepsilon_{ijk}$$

D. Results

Equations (1) and (2) are estimated separately on samples of wives with and without a college degree. Table 2 reports the results for wives with a college degree. Column 1 reports the estimates from a simple regression of *Same_Occ* on sex-composition in husband's and wife's occupations with no additional controls. For both husband and wife, a higher fraction of opposite-sex workers in their occupation increases the probability they match within occupation. The effect is fairly symmetric between wife's and husband's occupations (0.195 vs 0.212). Column 2 reports the results when the full set of controls in equation (1) is included. The coefficient on percent male in wife's occupation is only modestly affected by the controls, but the coefficient on percent female in husband's occupation becomes much smaller and insignificant.

⁷ Because occupation size is correlated with education (more educated workers tend to work in larger occupations), we add as additional controls to equation (2) interactions of education with the sex composition measures so that the %Male*Male Share and %Male*FemaleShare interactions are not picking up interaction effects with education.

Column 3 of Table 2 reports the results from equation (2). The estimates indicate that the effect of percent male in wife's occupation is similar regardless of whether the occupation is a large or small employer of men.

Table 3 reports results from equations (1) and (2) for the sample of couples with wives with less than a college degree. There are two main differences compared to the results in Table 2. First, the effect of percent female in husband's occupation remains sizeable and significant even with the addition of controls. Second, while the effect for percent female in husband's occupation is equally strong in small and larger occupations, the effect for percent male in wife's occupation is much stronger in larger occupations.

Overall, the results in Tables 2 and 3 indicate that same-occupation matching is highly responsive to occupational sex-composition. Next we propose an empirical test to distinguish between a preferences and a search cost explanation for this relationship.

IV. Preferences versus Search Costs

The preferences and search costs explanations for same-occupation matching have different implications for spousal quality. Our analysis focuses on husband's quality, specifically husband's wage. The empirical literature has established that husband's wage is an important determinant of marital surplus for the wife. In contrast, wife's wage is more problematic as a measure of wife's quality, both because of evidence that the labor market effort of wives is endogenous to partner characteristics, and also because men place less weight on women's potential earnings in mate selection (Fisman et al, 2006; Oreffice and Quinta-Domeque, 2009).

Other papers have used both husband's education and wife's education as measures of quality. We do not use this approach here, as the relationship between education and occupation make it difficult to separate out education from same-occupation matching.

A. Empirical Predictions

The comparison of the preferences and search costs explanations focuses on the difference in average wage for same-occupation husbands versus different-occupation husbands, calculated across women in the same occupation.

In the preferences mechanism, the gap in husband's wage between same-occupation husbands and different-occupation husbands should be the most negative when men are scarce in the wife's occupation (percent male is low), and the gap should be less negative in occupations where men are more plentiful.

In the search cost mechanism, the gap in husband's wage between same-occupation husbands and different-occupation husbands should be the most negative when men are plentiful in the wife's occupation (percent male is high). The search cost differential between withinoccupation search and outside-occupation search should be greatest when percent male is high.

This suggests a differences-in-differences approach. The first difference is the difference in husband's wage between women, of the same occupation, who match with same-occupation husbands versus different-occupation husbands. The second difference is to compare this gap across occupations that have a high percent male versus a low percent male.

B. Differences-in-Differences Approach

Our differences-in-Differences approach is implemented with the following specification:

$$HusbandWage_{ijk} = \beta_o + \beta_1 Same _Occ_i + \beta_2 Same _Occ_i * \% Male_j$$

$$(3) + \beta_3 Same _Occ_i * Occ _Wage_j + X_i\beta_3 + \sum_{j=1}^J \lambda_j * Occ_j + \sum_{k=1}^K \phi_k * Occ_k$$

$$+ \sum_{s=1}^S \delta_s * State_i + \sum_{s=1}^S \gamma_s * State_i * Urban_i + \varepsilon_{ijk}$$

For couple *i* with occupation *j* and husband's occupation *k*, *Husb_Wage* is husband's calculated hourly wage.⁸ *Same_Occ* remains an indicator that equals 1 if husband and wife share the same occupation. $%Male_j$ remains percent male in wife's occupation. *Occ_Wage_j* is the average wage of workers in occupation *j*. *X* is the vector of controls for husband's and wife's characteristics used in equation (1). The model also contains fixed-effects for wife's occupation, husband's occupation, state and state interacted with urban status.

If same-occupation matching is predominantly driven by preferences for sameoccupation spouses, the prediction is that the coefficient on *Same_Occ*%Male* is positive. The gap in wages between same-occupation husbands and different-occupation husbands should grow less negative as men become more plentiful in the occupation.

If same-occupation matching is predominantly driven by search costs, the prediction is that the coefficient on *Same_Occ*%Male* is negative. The gap in wages between same-occupation husbands and different-occupation husbands should become more negative as the search costs within occupation become lower.

Average wages obviously vary across occupation, and average wages in occupation are positively correlated with percent male in the occupation. Occupation fixed-effects control for differences in average wages across occupations, but we also interact *Same_Occ* with *Occ_Wage*, the average wage in the occupation. This allows us to distinguish the effect of *Same_Occ*%Male* from any interaction of *Same_Occ* with average wage in the occupation.

The specification includes occupation fixed-effects for both wife's occupation and husband's occupation. Wife's occupation fixed-effects are necessary because we are comparing the difference in wages between same-occupation husbands and different-occupation husbands

⁸ Hourly wage is calculated by dividing annual earnings by annual hours. Annual hours are calculated by multiplying weeks worked last year times usual hours per week. Starting in 2008, the ACS reports weeks of work in intervals. We impute actual weeks of work using individuals from the 2004-2007 ACS of the same education and gender reporting weeks of work in the same interval.

across wives in the same occupation. Husband's occupation fixed-effects are included to control for the overall attractiveness of men in any given occupation so that we can isolate the effects of a same-occupation match. For example, we want to control for the fact that male doctors and lawyers are generally considered attractive husbands, and conditional on that, estimate whether male doctors and lawyers are particularly attractive to women who share their occupation.

The preferences and search cost mechanisms also generate some predictions for the main effects of *Same_Occ* and *%Male*, but these main effects are more susceptible to omitted variable bias than the interaction term. For example, the search cost mechanism predicts that the main effect of *%Male* should be positive, that women in occupations with a higher male percentage (lower search costs) should have higher-quality husbands. But the main effect of percent male is not estimated, due to the inclusion of wife's occupation fixed effects. Furthermore, a comparison of husband's wages across wives in different occupations would be rather suspect. The preferences mechanism predicts that the main effect of *Same_Occ* is negative, that women take lower earning husbands in order to match within occupation. While the coefficient on *Same_Occ* is estimated, there is the concern that women who match within occupation are different in unobserved ways from those who do not. For example, perhaps women who work more hours are more likely to match within occupation.

The coefficient on the interaction term is a much more compelling test between the two mechanisms, as it is much less likely that omitted variable bias affects the differences-indifferences estimate. For the interaction term to be biased, there would have to be an omitted variable that not only affects the gap in husband's wages between women within the same occupation who match with same-occupation husbands versus different-occupation husbands, but also causes that gap to be correlated with sex-composition of the occupation.

A key concern in equation (3) is that in order to have the desired interpretation, the specification must include adequate controls for wife's quality. As already discussed, unobserved characteristics will more likely bias the main effect of *Same_Occ* than the interaction term. It would still be preferable to control for woman's quality in more detail than the current controls for education, age, location and occupation. To that end, we consider an alternative specification for equation (3) that uses the relative wages of husband and wife as the outcome variable. In other words, the dependent variable measures the extent to which the woman is marrying up or down in terms of wage.

(4)
(HusbandWage / WifeWage)_{ijk} =
$$\beta_o + \beta_1 Same _Occ_i + \beta_2 Same _Occ_i * \% Male_j$$

 $+\beta_3 Same _Occ_i * Occ _Wage_j + X_i\beta_3 + \sum_{j=1}^J \lambda_j * Occ_j + \sum_{k=1}^K \phi_k * Occ_k$
 $+\sum_{s=1}^S \delta_s * State_i + \sum_{s=1}^S \gamma_s * State_i * Urban_i + \varepsilon_{ijk}$

An additional benefit of the specification in equation (4) is that it is symmetric between husbands and wives.⁹ This specification could, therefore, just as easily be interpreted as estimating changes in the wife's relative quality for same-occupation matches relative to different-occupation matches as women become less plentiful in husband's occupation. There remain, however, the caveats discussed earlier that a wife's wage could be endogenous to her marriage market match and that wife's wage is not necessarily as strong a proxy for partner quality as husband's wage.

C. Interaction Effects with Workplace Communication

The search cost mechanism should be most relevant in occupations in which there is sufficient workplace interaction with co-workers to facilitate marital search. To test whether this

⁹ Because the interaction term is zero unless husband and wife share the same occupation, it is equivalent to the interaction of Same_Occ with the percent male in husband's occupation.

is true, we obtained a measure of communication with co-workers from the O*Net database (version 18), containing a rich set of occupational characteristics describing the different combinations of skills, abilities, and work contexts required in each occupation (O*Net Research Center). Specifically, the workplace communication index is obtained from the "Generalized Work Activities" descriptors and it measures the extent of "Communicating with Supervisors, Peers, or Subordinates: Providing information to supervisors, co-workers, and subordinates by telephone, in written form, e-mail, or in person" on a scale from 0 to 7.¹⁰ Interactions with this occupation-level measure of workplace communication are added to equation (3):

(5)
HusbandWage_{ijk} =
$$\beta_o + \beta_1 Same_Occ_i + \beta_2 Same_Occ_i * \% Male_j$$

 $+\beta_3 Same_Occ_i * WorkplaceComm_j + \beta_4 Same_Occ_i * \% Male_j * WorkplaceComm_j$
 $+\beta_5 Same_Occ_i * Occ_Wage_j + X_i\beta_6 + \sum_{j=1}^J \lambda_j * Occ_j + \sum_{k=1}^K \phi_k * Occ_k$
 $+\sum_{s=1}^S \delta_s * State_i + \sum_{s=1}^S \gamma_s * State_i * Urban_i + \varepsilon_{ijk}$

In equation (5), the estimates of β_1 and β_2 compare same-occupation and differentoccupation husbands in occupations in which there is very limited interaction with coworkers. In these occupations, we would expect same-occupation matches to be driven by preferences as opposed to search costs. A negative estimate for β_1 and a positive estimate for β_2 would be consistent with this prediction.

The estimates of β_3 and β_4 indicate how the effects estimated by β_1 and β_2 change when estimated for workers in occupations with higher levels of workplace interaction. If the search cost mechanism becomes more relevant in occupations with higher levels of workplace

¹⁰ These scores are collected from workers and occupational experts using questionnaires assessing the importance of different occupational requirements. There are other measures of interpersonal contact available in the ONET data, but this is the only one that is specific to co-workers, who are more likely to be in the same occupation. There is, for example, a measure of face-to-face contact, but it is not restricted to co-workers, and will include clients and others less likely to be from the same occupation. If the face-to-face measure is used in place of our preferred workplace communication measure, the estimates display a very similar pattern, but without statistical significance.

interaction, then we would expect to obtain a positive estimate for β_3 and, more importantly, a negative estimate for β_4 .

D. Results

Panel A of Table 4 reports the estimates from equation (3).¹¹ Panel B replicates the same analysis using logged husband's wages. The first column reports estimates for the full sample. Using both husband's wage and logged husband's wage, the coefficient on the interaction term is negative and significant. In columns 2 and 3, the sample is split into wives with and without college degrees. The coefficients lose significance when the sample is divided, but the basic pattern of negative interaction terms (with similar magnitudes) remains.

The negative coefficient estimates for the *Same_Occ*%Male* interaction are consistent with a search costs, rather than preferences, explanation for same-occupation matches. Additionally, most of the estimates of the coefficient for the *Same_Occ* main effect are positive and statistically significant. This is also inconsistent with the preferences explanation, which indicates that women should be willing to match with lower-wage same-occupation husbands compared to different-occupation husbands. This coefficient estimate, as discussed above, may however be biased by unobserved heterogeneity in wife's quality.

Table 5 reports results replacing the dependent variable in equation (3) with the wage ratio of husband's to wife's wages or the logged wage ratio. Positive coefficients therefore reflect an increase in husband's wage relative to wife's wage. The coefficients on the *Same_Occ*%Male* interactions remain negative in Table 5, even after adjusting husband's wage relative to wife's wage. The negative coefficient on the interaction term in panel A loses

¹¹ The samples in Tables 4 and 5 are the same as used in Tables 2 and 3, with the additional restriction that observations are dropped if husband's wage or wife's wage is less than 1 and greater than 500. If non-working wives are included in the sample in Table 4, the coefficients on *Same_Occ*%Male* become slightly more negative (more supportive of search cost mechanism). This is not surprising, given that any preferences for same-occupation spouses should be weaker for wives less attached to the labor market.

statistical significance compared to the results in Table 4, but the coefficient is substantial in magnitude. In contrast, for the logged wage ratio in panel B, the coefficient on the interaction term remains statistically significant and increases in magnitude compared to Table 4. The coefficient estimates on the *Same_Occ* main effect all become insignificant and are mixed between positive and negative estimates, indicating that the large positive main effects estimated in Table 4 may have been biased by unobserved differences in wife's quality. Overall, the results in Tables 4 and 5 are much more supportive of the search cost explanation than the preferences explanation.

Table 6 adds the interactions with occupation-level measures of workplace communication described in equation (5). The workplace communication index is not available for 72 of the 333 occupation categories, generating a roughly 30% loss of sample. Column 1 reports the results when husband's wage is the dependent variable. The first two rows report the coefficients on *Same_Occ* and *Same_Occ*%Male*, recalling that these are the relevant effects for occupations without workplace communication. In this case, the coefficients are perfectly in line with the predictions of the preferences mechanism. The coefficient on *Same_Occ* is negative and significant, indicating that same-occupation husbands are lower wage than differentoccupation husbands, and the coefficient on *Same_Occ*%Male* is positive, indicating that this gap becomes less negative as men become more plentiful.

The interactions with the workplace communication index are reported in the next two rows. These estimates are consistent with the prediction that the search cost mechanism becomes more relevant as workplace communication increases. The coefficient on *Same_Occ*WorkplaceComm* is positive and significant. The coefficient on the triple interaction, *Same_Occ*%Male*WorkplaceComm*, is negative and significant. The total effect of

Same_Occ%Male* becomes negative once the *WorkplaceComm* index is greater than 3.76 (about the 20th percentile of our analysis sample).

In column 2, the dependent variable is logged husband's wage. The coefficient estimates are statistically insignificant, but display exactly the same pattern as that in column 1. The crossing point of *WorkplaceComm* (where the effect of *Same_Occ*%Male* switches from positive to negative) is very similar to that for column 1. In column 3, the results for the wage ratio display the same pattern and are statistically significant. The only outcome variable that does not generate this pattern of results is the logged wage ratio in column 4.

Overall, the results in Table 6 suggest that same-occupation matching in occupations with very limited workplace interaction is consistent with a preferences mechanism. However, for occupations with sufficient workplace interaction, the results indicate that the search cost mechanism dominates the preferences mechanism as an explanation for same-occupation matches. Furthermore, the estimates suggest that 80% of the sample works in occupations where there is sufficient workplace interaction to predict that the search cost mechanism is the more relevant explanation for same-occupation matching. This is why the results in Tables 4 and 5, averaged across occupations with higher and lower levels of workplace communication, were more supportive of the search cost explanation than the preferences explanation.

Finally, in Table 7, we consider matching on field of bachelor's degree, rather than matching on occupation. Field of degree is available in the ACS starting in 2009 for all individuals reporting completing a bachelor's degree. The advantage of using field of degree is that we avoid the concerns that current occupation differs from occupation at time of matching, or that current occupation is endogenous to partner characteristics. The disadvantages of using field of degree are that our analysis is limited to couples in which both spouses have a bachelor's degree and that we do not have information by field of degree analogous to the workplace

communication index used in Table 6. The ACS provides detailed field of degree codes for 181 fields. 8.7% of the sample is matched on field of degree using the 181 detailed categories.¹²

Table 7 reports results from equations (3) and (4) in which the indicator for same occupation is replaced with an indicator for same field of degree, percent male and average wage in occupation are replaced by analogous measures calculated by field of degree. Consistent with previous results, the coefficients on the *Same_Field*%Male* interactions are negative for all husband's wage and wage ratio outcomes. Comparing these results to those for college-educated women in Tables 4 and 5, the magnitudes on the interaction terms are larger using field of degree compared to occupation. Like the results for college-educated women in Tables 4 and 5, the results for college-educated women in Tables 4 and 5, the magnitudes on the interaction terms are larger using field of degree compared to accupation. Like the results for college-educated women in Tables 4 and 5, the results for college-educated women in Tables 4 and 5, the results for college-educated women in Tables 4 and 5, the results for college-educated women in Tables 4 and 5, the results for college-educated women in Tables 4 and 5, the results for college-educated women in Tables 4 and 5, the results for college-educated women in Tables 4 and 5, the results for college-educated women in Tables 4 and 5, the results for college-educated women in Tables 4 and 5, the results for college-educated women in Tables 4 and 5, the results for college-educated women in Tables 4 and 5, the coefficients are largely statistically insignificant.

V. Conclusions

The results in this paper demonstrate that there is considerable within-occupation marital matching and that within-occupation matching is highly responsive to the sex-composition of the occupation.

The analysis of husband's wage and wage ratio with wife generates empirical results that are more consistent with a search cost explanation than a preferences explanation for the prevalence of same-occupation matches. Additional analysis using information on the extent of workplace communication confirms that the results are most consistent with a search cost explanation when there is a sufficient workplace interaction to facilitate marital search.

There is a growing literature that indicates the potential importance of schools and workplaces as local marriage markets. Previous research has found that workplace sex composition affects divorce rates (McKinnish, 2007; Svarer 2007). Kaufman, Messner and Solis (2013) use regression discontinuity analysis to document the large marriage market return for

¹² Using the 38 general field of degree categories, 17.1% of college-educated couples in our sample are matched on field of degree.

women to attending an elite university. Mansour and McKinnish (forthcoming) find that individuals with large marital age gaps tend to be lower quality in terms of cognitive ability, educational attainment, earnings and appearance. Their explanation is that high-skilled individuals interact more heavily with similarly-aged peers in school and workplace while lowskilled individuals spend more time in age-heterogeneous settings.

If it is true that individuals often match within occupation because it is simply easier to meet potential partners who share their occupation (whether through schooling or workplace), rather than because of preferences, this suggests that marriage markets are much more local than typically modeled by economists. This implies that choices about where to work or where to go to school can have important consequences for matching by changing the group of people with whom one interacts most easily. In marriage models with frictionless matching, characteristics such as education and occupational wage have traditionally affected matching through the marital surplus. Our findings suggest they also affect matching by changing the set of prospective mates with whom one interacts at lowest cost.

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Occupation	Sample size ^(a)	% Female ^(a)	% Married Females w/ same occupation husbands ^(b)	% Married Males w/ same occupation wives ^(b)
Vehicle/Mobile Equipment Mechanics	72,021	0.02	0.19	0.00
Extractive Occupations	6,969	0.02	0.30	0.00
Material Moving Equipment Operators	18,389	0.03	0.11	0.00
Construction Trades, Except Supervisors	160,570	0.03	0.36	0.01
Supervisors, Construction Occupations	31,560	0.03	0.10	0.00
Helpers, Construction and Extractive	64,338	0.04	0.19	0.01
Fire fighting and Fire Prevention	12,624	0.05	0.35	0.02
Water Transportation Occupations	2,252	0.05	0.08	0.00
Plant and System Operators	8,520	0.05	0.06	0.00
Precision Metal Working Occupations	15,484	0.06	0.12	0.01
Miscellaneous Mechanics and Repairers	30,498	0.06	0.06	0.00
Rail Transportation Occupations	3,558	0.07	0.53	0.03
Fishers, Hunters, and Trappers	1,606	0.07	0.40	0.02
Electrical/Electronic Equip. Repairers	35,006	0.07	0.13	0.01
Supervisors of mechanics and repairers	9,191	0.08	0.05	0.00
Forestry and Logging Occupations	5,787	0.09	0.09	0.01
Precision Woodworking Occupations	2,644	0.10	0.04	0.01
Motor Vehicle Operators	147,641	0.13	0.27	0.03
Military	35,831	0.14	0.53	0.09
Engineers	57,214	0.15	0.29	0.06
Farm Operators and Managers	22,582	0.17	0.38	0.06
Metal/Plastic Processing Machine Operators	2,445	0.18	0.03	0.01
Metal/Plastic Working Machine Operators	6,125	0.18	0.06	0.01
Related Agricultural Occupations	51,567	0.18	0.12	0.03
Production supervisors or foremen	30,832	0.20	0.07	0.02
Police and Detectives	51,202	0.22	0.40	0.09
Woodworking Machine Operators	16,130	0.23	0.13	0.04
Printing Machine Operators	8,235	0.26	0.08	0.03
Engineering /Technologists and Technicians	30,662	0.26	0.06	0.02
Freight, Stock, and Material Handlers	96,667	0.27	0.12	0.04
Farm Occupations, Except Managerial	27,906	0.27	0.29	0.13
Supervisors of guards	2,561	0.29	0.07	0.02
Fabricators, Assemblers, and Hand Working	59,668	0.29	0.17	0.06
Guards	29,657	0.31	0.09	0.03
Machine Operators, Assorted Materials	70,146	0.32	0.13	0.05
Architects	5,967	0.32	0.13	0.08
Mathematical and Computer Scientists	75,328	0.32	0.13	0.05
Cleaning/Building Service, Except Households	79,465	0.34	0.12	0.05

 Table 1: Fraction Female and Same-Occupation Matching by Occupation Category

Science Technicians	2,882	0.35	0.03	0.02
Technicians, Except Health/Engineering/Science	77,440	0.37	0.16	0.09
Mail and Message Distributing Occupations	26,014	0.39	0.12	0.06
Health Diagnosing Occupations	36,483	0.41	0.27	0.24
Lawyers and Judges	32,710	0.42	0.25	0.21
Production Inspectors/Testers/Samplers/Weighers	24,627	0.42	0.04	0.02
Material Recording/Scheduling/Distributing Clerks	91,267	0.42	0.06	0.04
Natural Scientists	22,420	0.43	0.17	0.14
Executive, Administrative, and Managerial	417,549	0.43	0.20	0.17
Supervisors and proprietors of sales jobs	133,441	0.43	0.11	0.08
Precision Food Production Occupations	15,820	0.44	0.08	0.06
Sales Reps, Finance and Business Services	58,690	0.50	0.09	0.08
Computer and peripheral equipment operators	4,053	0.51	0.03	0.03
Writers, Artists, Entertainers, and Athletes	80,602	0.51	0.13	0.14
Teachers, Postsecondary	41,408	0.53	0.21	0.23
Sales Representatives, Commodities	265,042	0.56	0.09	0.11
Duplicating/Mail/Other Office Machine Operators	3,758	0.57	0.04	0.05
Precision Textile, Apparel, and Furnishings Machine	3,517	0.57	0.02	0.02
Management Related Occupations	195,372	0.59	0.11	0.15
Food Preparation and Service Occupations	201,458	0.59	0.12	0.21
Social Scientists and Urban Planners	15,505	0.62	0.05	0.09
Social, Recreation, and Religious Workers	52,580	0.64	0.05	0.12
Office supervisors	47,407	0.66	0.02	0.03
Textile, Apparel, and Furnishings Machine	16,285	0.68	0.06	0.11
Adjusters and Investigators	102,032	0.72	0.05	0.13
Precision Workers, Assorted Mate	23,012	0.74	0.02	0.07
Sales demonstrators / promoters / models	1,609	0.74	0.02	0.10
Health Technologists and Technicians	64,998	0.78	0.04	0.13
Communications Equipment Operators	2,837	0.78	0.01	0.03
Records Processing Occupations, Except Financial	24,495	0.78	0.01	0.05
Therapists	30,751	0.80	0.05	0.20
Librarians, Archivists, and Curators	6,582	0.80	0.02	0.06
Teachers, Except Postsecondary	267,587	0.80	0.11	0.38
Personal Service Occupations	119,831	0.81	0.03	0.17
Miscellaneous Administrative Support Occupations	85,477	0.83	0.01	0.07
Information Clerks	52,332	0.85	0.01	0.07
Health Assessment and Treating Occupations	104,270	0.89	0.05	0.35
Health Service Occupations	131,585	0.89	0.03	0.21
Financial Records Processing Occupations	66,664	0.90	0.01	0.04
Private Household Occupations	45,295	0.90	0.03	0.31
Secretaries, Stenographers, and Typists	130,640	0.96	0.00	0.10

(a) Sample of men and women aged 22-55 who reported an occupation in the 2008-2001 ACS.

(b) Sample of married women (or men) aged 22-55 who reported an occupation in the 2008-2001 ACS.

	(1)	(2)	(3)
% Male in wife's occupation	0.195*** (0.015)	0.166*** (0.041)	0.204*** (0.037)
% Male in wife's occupation * Male share in wife's occ $\geq 0.5\%$			0.038 (0.081)
% Female in husband's occupation	0.212*** (0.041)	0.060 (0.039)	0.018 (0.064)
% Female in husband's occupation* Female share in husband's occ $\geq 0.5\%$			0.063 (0.060)
Additional controls	Ν	Y	Y
Observations	50,161	50,161	50,161

Table 2: Occupation matching by occupation sex composition, Wives with College

Notes: Sample of married couples in the 2008-2011 ACS in their first marriage, married less than 5 years, between ages of 25 and 55, with a white native-born college-educated wife. Dependent variable equals 1 if couple shares same occupation. Column 1 reports results from equation (1) without additional control variables. Column 2 reports results from equation (1) with additional controls and Column 3 reports results from equation (2). Column 3 includes additional controls for interactions of education indicators with sex composition variables. Standard errors (in parentheses) 2-way clustered by wife's occupation and husband's occupation using Cameron, Gelbach and Miller (2011). *** p<0.01, ** p<0.05, * p<0.1

	(1)	(2)	(3)
% Male in wife's occupation	0.176*** (0.031)	0.152** (0.023)	0.020 (0.034)
% Male in wife's occupation* Male share in wife's occ $\geq 0.5\%$			0.185*** (0.048)
% Female in husband's occupation	0.129*** (0.024)	0.125*** (0.009)	0.174*** (0.036)
% Female in husband's occupation* Female share in husband's occ $\ge 0.5\%$			0.043 (0.037)
Additional controls	Ν	Y	Y
Observations	33,631	33,631	33,631

Table 3: Occupation matching by occupation sex composition, Wives w/o College

Notes: Sample of married couples in the 2008-2011 ACS in their first marriage, married less than 5 years, between ages of 25 and 55, with a white native-born wife without a college degree. Dependent variable is an indicator variable that equals 1 if the husband and wife share the same occupation. Column 1 reports results from equation (1) without additional control variables. Column 2 reports results from equation (1) with additional controls and Column 3 reports results from equation (2). Column 3 includes additional controls for interactions of education indicators with sex composition variables. Standard errors (in parentheses) 2-way clustered by wife's occupation and husband's occupation using Cameron, Gelbach and Miller (2011). *** p<0.01, ** p<0.05, * p<0.1

	(1)	(2)	(3)
	Full Sample	College Grad	Less than
	r i r		College
A. Husband's Wage			
Same occupation	3.55**	4.03***	0.202
	(1.44)	(2.01)	(2.68)
Same occupation * % Male in	-2.31**	-1.60	-2.19
occupation	(1.00)	(1.22)	(3.02)
Ν	62,639	40,330	22,297
B. Log(Husband's Wage)			
Same occupation	0.075**	0.106**	-0.032
-	(0.030)	(0.028)	(0.060)

-0.066*

(0.040)

62,639

Table 4: Husband's wage by occupation matching with wife

Same occupation * % Male in

occupation

Ν

Notes: Sample described in notes of Tables 2 and 3. Observations dropped if husband's or wife's wage is less than 1 or greater than 500. Table reports estimates from equation (3). Standard errors (in parentheses) clustered by wife's occupation. *** p<0.01, ** p<0.05, * p<0.1

-0.023

(0.050)

40,330

-0.056

(0.072)

22,297

	(1) Full Sample	(2) College Grad	(3) Less than College
A. Husband's Wage/Wife's Wage			
Same occupation	0.071 (0.123)	0.127 (0.135)	-0.221 (0.202)
Same occupation * % Male in occupation	-0.201 (0.150)	-0.059 (0.178)	-0.236 (0.249)
Ν	62,639	40,330	22,297
B. Log(Husband's Wage/Wife'sWage)			
Same occupation	-0.024 (0.032)	0.001 (0.035)	-0.065 (0.072)
Same occupation * % Male in occupation	-0.095** (0.046)	-0.041 (0.048)	-0.101 (0.094)
N	62,639	40,330	22,297

 Table 5: Wage Ratio by occupation matching

Notes: Sample described in notes of Tables 2 and 3. Observations dropped if husband's or wife's wage is less than 1 or greater than 500. Table reports estimates from equation (4). Standard errors (in parentheses) clustered by wife's occupation. *** p<0.01, ** p<0.05, * p<0.1

Table 6: Interaction with Workplace Communication

	(1) Husband's Wage	(2) Log(Husb's Wage)	(3) Wage Ratio	(4) Log(Wage Ratio)
Same occupation	-10.32**	-0.105	-1.64***	-0.079
	(4.16)	(0.194)	(0.422)	(0.216)
Same occupation * % Male	19.71**	0.321	1.86*	-0.177
	(7.88)	(3.59)	(1.03)	(0.400)
Same occupation * Workplace communication	2.74***	0.026	0.330**	0.002
	(1.05)	(0.044)	(0.134)	(0.048)
Same occupation * % Male *	-5.24***	-0.092	-0.403*	0.025
Workplace communication	(1.81)	(0.079)	(0.221)	(0.086)
N	44,038	44,038	44,038	44,038

Notes: Sample described in notes of Tables 2 and 3. Table reports estimates from equation (5). Workplace communication is an occupation-level index ranging from 0 to 7 measuring degree of communication with supervisors, co-workers and supervisors. Standard errors (in parentheses) clustered by wife's occupation. *** p<0.01, ** p<0.05, * p<0.1

	(1) Husband's Wage	(2) Log (Husb's Wage)	(3) Wage Ratio	(4) Log(Wage Ratio)
Same Field of Degree	6.89***	0.151***	0.237	0.160
	(2.26)	(0.058)	(0.152)	(0.077)
Same Field of Degree *	-2.48	-0.012	-0.300	-0.193*
% Male in Field of Degree	(2.62)	(0.076)	(0.190)	(0.096)
Ν	20,641	20,641	20,641	20,641

Table 7: Wage and Wage Ratio by Matching on Field of Degree, College-Educated Couples

Notes: Sample contains only couples in which both husband and wife have college degrees, and therefore report a field of degree. Field of degree is not available prior to 2009. Table reports estimates from equation (4), replacing the indicator for same occupation with an indicator for same field of degree, and replacing percent male and average wage in occupation with measures for field of degree. Standard errors (in parentheses) clustered by wife's occupation. *** p<0.01, ** p<0.05, * p<0.1